

12.2.7

```
> # Exercise 12.2.7
> mass=c(49.3,59.3,68.3,48.1,57.6,78.1,76.1)
> energy=c(1894,2050,2353,1838,1948,2528,2568)
> cor.test(mass,energy)
```

Pearson's product-moment correlation

```
data: mass and energy
t = 11.427, df = 5, p-value = 8.988e-05
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.8749612 0.9973570
sample estimates:
      cor
0.9813868
```

- (a) Since $p\text{-value}=0.00009 < 0.05 = \alpha$ we reject $H_0: \rho=0$ at the 5% level.
- (b) Observational study. In an experiment the researchers would somehow fix mass.
- (c) One can only show association between the two variables; energy expenditure might increase, but it is not clear that one causes the other.

12.3.5

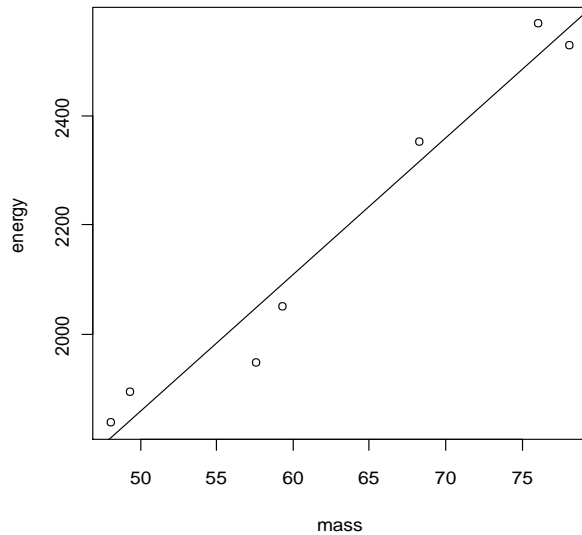
```
> fit=lm(energy~mass)
> plot(mass,energy)
> abline(fit)
> summary(fit)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	607.703	138.765	4.379	0.00716	**
mass	25.012	2.189	11.427	8.99e-05	***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 64.85 on 5 degrees of freedom
Multiple R-squared: 0.9631, Adjusted R-squared: 0.9557



- (a) The fitted line is $\text{energy} = 607.7 + 25.0 (\text{mass})$.
- (b) The line fits quite well.
- (c) For every kg increase in mass, energy typically goes up 25.0 kcal.
- (d) s_e is given by R, it's 64.85 kcal.

12.4.6

$607.7 + 25(55) = 1983$ kcal.

12.5.5

```
> confint(fit)
                2.5 %      97.5 %
(Intercept) 250.99778 964.40909
mass         19.38506  30.63818

> confint(fit, level=0.9)
                5 %      95 %
(Intercept) 328.08614 887.32073
mass         20.60103  29.42221
```

A 95% CI for β_1 is (19.3, 30.6). For every kg increase in mass, energy expenditure typically goes up by as little as 20 kcal to as much as 29 kcal (with 95% confidence).

A 90% CI for β_1 is (20.6, 29.4).